

Quiz #11

Name: _____

Use a pencil, not a pen.

Springs and Oscillations

1. When hanging vertically, a spring has a length of 35 cm. Then, a mass of 200 g is added to it. The mass causes the spring to stretch by 5 cm. What is the elastic “spring” constant? Note that you’ll want to do some unit conversions... and remember that mass is not weight!

$$k_{\text{spring}} = \quad \text{N/m}$$

2. A certain spring hangs vertically. A mass of 200 g is added to it, and then pulled and released so that the mass bounces up and down. The period for each bounce is $T = 1.2$ s. First, find the angular frequency using $\omega = \frac{2\pi}{T}$.

$$\omega = \quad \text{rad/s}$$

3. Now that we have a value for ω , determine k using $\omega = \sqrt{\frac{k}{m}}$.

$$k_{\text{spring}} = \quad \text{N/m}$$

4. Algebra: use both formulas given in the previous two problems to symbolically solve for T^2 in terms of m . This is symbolic, so forget that you already found some numbers! I already wrote the “ m ” for you in the answer box. The result may not include ω .

$$T^2 = \text{_____} \cdot m$$

5. Algebra: the entire fraction in front of the “ m ” is the slope “ s ” (if you plot T^2 vs m). Symbolically solve for k in terms of the slope s . Your answer may not include either m or T . Make sure your s doesn’t look like a 5.

$$k = \text{_____}$$

6. A pendulum (not a spring!) has a small mass of 17 g suspended on a thin string of length 22 cm. What is the period of the pendulum’s swing?

$$T_{\text{pendulum}} = \quad \text{s}$$

7. Algebra: re-arrange the same equation that you just used to find T^2 in terms of L .

$$T^2 = \text{_____} \cdot L$$